



# NATIONAL SENIOR CERTIFICATE

# **PUSH – ONE INTERVENTION PROGRAM**

MATHEMATICS

GRADE 12

LAST PUSH

2022

## **STATISTICS**

**MEASURES OF CENTRAL TENDENCY MEMO** 

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No.	Solutions	Marks
1.1	$\bar{x} = \frac{220}{100}$	(2)
	$x = \frac{10}{10}$	
	$\bar{x} = 22$	
1.2	$\sigma = 3,95$	(2)
1.3	$(22 - 3,95; 22 + 3,95) \rightarrow (18,05; 25,95)$	(2)
	19 20 21 22 23 24	
		[6]

No.	Solutions	Marks
2.1	$\bar{x} = \frac{550}{10}$ $\bar{x} = 55 \text{ kilocalories}$	(2)
2.2	$\sigma = 69,03$	(2)
2.3	Snack foods have a greater variation. The standard deviation for snack foods is 69,03 kilocalories whilst the standard deviation for breakfast cereals is 28 kilocalories. i.e. energy levels of breakfast cereals is spread closer to the mean than in those of the snack food.	(2)
		[6]

ACTIVITY J	A	ctivit	y 3
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No	Solutions	Mark
•		S
3.1	$\bar{x} = \frac{1522}{1}$	(2)
	$x = \frac{15}{15}$	
	$\bar{x} = 101,7$	
20	-10.07	(2)
3.2	019,07	(2)
33	Lower quartile - 89	(2)
5.5	Lower quartite – 05	(2)
	$Upper \ quartile = 113$	
3.4		(3)
	50 60 70 80 90 100 110 120 130 140 150	
3.5	$(\bar{x} - 1\sigma; \bar{x} - 1\sigma) = (82,4; 120,54)$	(3)
	∴ 2 days	
		54.63
		[12]

No	Solutions	Mark
•		S
4.1	Median = 42	(1)
4.2	Lower quartile $= 32$	(3)
	$Upper \ quartile = 46$	
	Interquartile range = $46 - 32$	
	Interquartile range $= 14$	
4.3		(3)
	••	
	27 32 42 46 62	
	20 30 40 50 60 70	
4.4	There is a <b>greater spread</b> of scores to the right of the median (42)	(2)
		[9]

No.	Solutions	Marks
5.1	$\bar{z} = \frac{102\ 100}{100}$	(2)
	$x = \frac{9}{9}$	
	$\bar{x} = 11344,44$	
5.2	$\sigma = 4\ 460,97$	(2)
5.3	The value of the standard deviation above the mean:	(2)
	= R11 344,44 + R4 460,97	
	$= R15\ 805,41$	
	There is only one person who obtained commission one standard deviation above the mean. Only one person received a rating of good.	
		[6]

No.	Solutions	Marks
6.1	$\bar{x} = \frac{128}{2}$	(2)
	~ 8	
	$\bar{r} - 16$	
	x = 10	
6.2	$\sigma = 7,55$	(2)
6.3	$\sigma = 9,71$	(2)
	σ increases	
	o mereases	
6.4	The total number of runs required is $20 \times 16 = 320$	(3)
	The total number of runs to be scored in last five games:	
	-320 - 59 - 128	
	= 133	
	100	
	$\bar{x} = \frac{133}{5}$	
	5	
	$\bar{x} = 26,6$	
		[9]

No.	Solutions	Marks
7.1	$\bar{x} = \frac{522,5}{12}$	(2)
	$\bar{x} = 43,5$	
7.2	Minimum = 9,3	(5)
	Lower quartile = $\frac{15+23,6}{2} \rightarrow 19,3$	
	$Median = \frac{28 + 32,5}{2} \to 30,3$	
	$Upper \ quartile = \frac{65,7+71,9}{2} \rightarrow 68,8$	
	Maximum = 98,2	

7.3											_	(3)
	0	10	20	30	40	50	60	70	80	90	100	
7.4	The This and rain	data is s s suggest the max fall in th	skewed ts that t imum f at year	to the p here wa cainfall ).	right (p as a larg (some	ositivel ge diffe months	ly skew erence b had ex	ed). between ception	the me ally hig	edian gh		(2)
7.5					(	$\sigma = 28$	,19					(3)
												[15]

No.	Solutions	Mar ks
8.1	Minimum = 9	(4)
	<i>Lower quartile</i> = 25,5	
	Median = 55	
	Upper quartile = 75	
	Maximum = 92	
8.2		(2)
	10 20 30 40 50 60 70 80 90	
8.3	Class B Class B performed better because half of the learners got above 60% whilst half of Class A got more than 55%. Class B performed better because half of the learners got above 60% whilst half of Class A got less than 55%. Median of Class B > Median of Class A	(3)
		[9]



No.	Solutions	Marks
10.1	$\bar{x} = \frac{202}{30}$ $\bar{x} = 6,73$	(2)
10.2	$Median = \frac{7+7}{2}$ $Median = 7$	(2)
10.3	$\sigma = 2,26$	(2)
10.4	(6,73 - 2,26 ; 6,73 + 2,26) = (4,47 ; 8,99) $\therefore 4 + 4 + 8 + 3 = 19 times$	(3)
		[9]